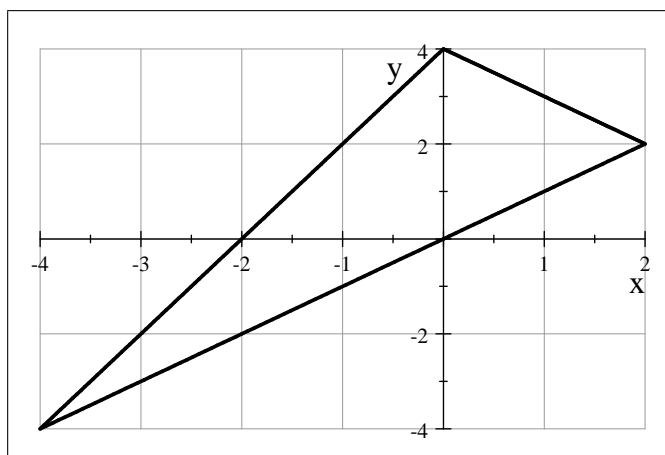
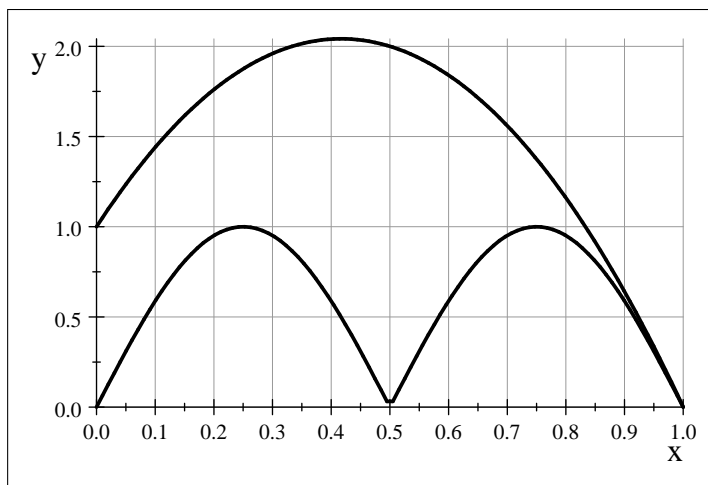


# MATH 1920 PRACTICE EXAM II

1. Let  $\mathcal{R}$  be the finite region enclosed between the straight lines  $f(x) = 4 - x$ ,  $g(x) = x$  and  $h(x) = 4 + 2x$

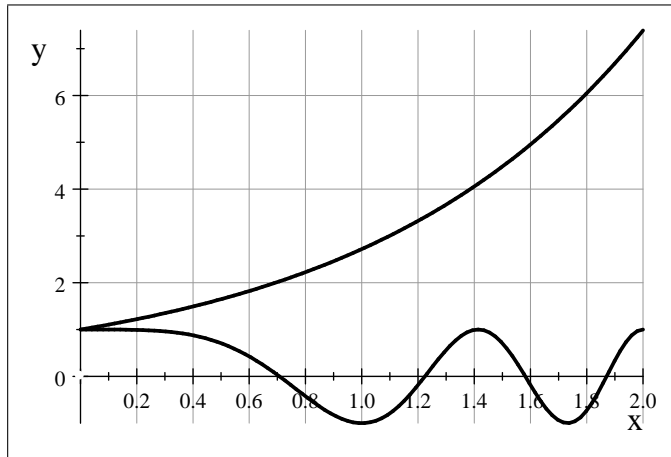


- (a) Set up the definite integral that computes the area of  $\mathcal{R}$ .
- (b) Let  $V$  be the volume obtained by revolving  $\mathcal{R}$  about the line  $x = 2$ . Set up the definite integral that computes  $V$  using the Method of Washers.
2. Let  $\mathcal{R}$  be the region enclosed between the curves  $f(x) = -6x^2 + 5x + 1$  and  $g(x) = |\sin(2\pi x)|$  on the interval  $0 \leq x \leq 1$ .



- (a) Set up the definite integral that computes the area of  $\mathcal{R}$ .
- (b) Let  $V$  be the volume obtained by revolving  $\mathcal{R}$  about the  $x$ -axis. Set up the definite integral that computes  $V$  using the Method of Washers.

3. Use integration by parts to compute  $\int_0^2 x e^x dx$ .
4. Use an appropriate substitution to help compute  $\int_0^2 x \cos(\pi x^2) dx$ .
5. Let  $\mathcal{R}$  be the region enclosed between the curves  $f(x) = e^x$  and  $g(x) = \cos(\pi x^2)$  on the interval  $0 \leq x \leq 2$ .



Let  $V$  be the volume of the solid obtained by revolving  $\mathcal{R}$  about the  $y$ -axis. Use the Method of Shells to compute  $V$ .

6. Let  $\mathcal{R}$  be the region in Problem 5, and let  $V$  be the volume of the solid obtained by revolving  $\mathcal{R}$  about the line  $x = 2$ . Set up the definite integral that computes  $V$  using the Method of Shells.