

Relevant Cash Flows: Principles

Issue

Which cash flows to include for project evaluation?

$$NPV = \sum_{t=0}^n \frac{CF_t}{(1+k)^t}$$

Incremental (Marginal) Cash Flows

Project $CF_t =$ Firm CF_t w/ project – Firm CF_t w/o project

Cash Flow (CF) v. Net Income (NI)

Credit vs. Cash Sales and Expenses

Capital Outlays vs. Depreciation

Timing

Relevant Cash Flows: Details

Some Specifics

Depreciation

Sunk Costs

Allocated Costs

Financing Costs

Implicit Costs (including “excess” capacity)

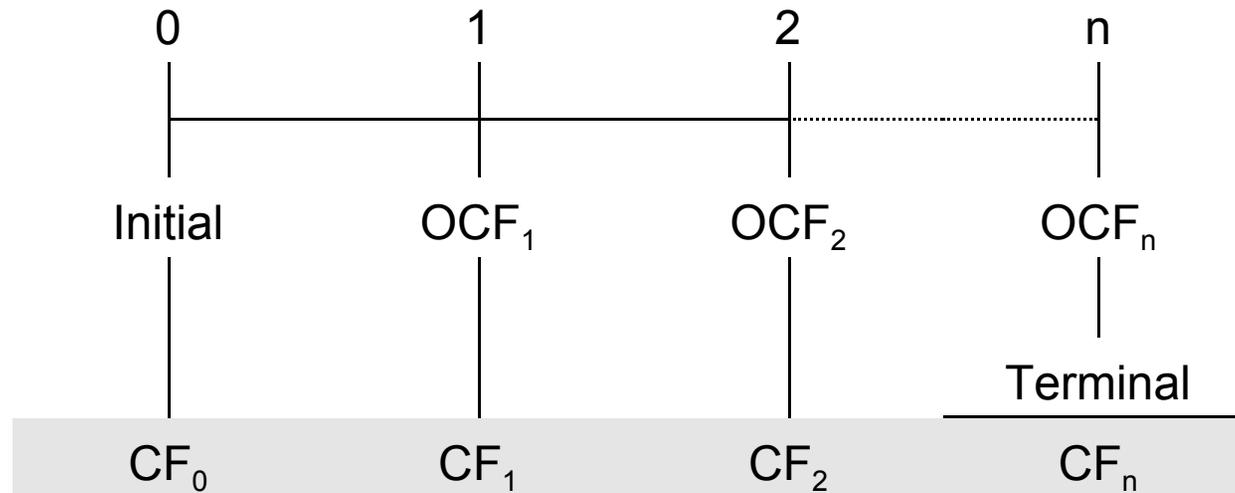
Externalities: cannibalization & synergy

Change in Net Working Capital (Δ NWC)

Taxes

Classifying Cash Flows

Chronological Classification



Examples

- Initial (t=0): purchase, shipping & installation; Δ NWC
- Operating (t=1,...n): cash sales/expenses, taxes
- Terminal (t=n): net salvage value, reversal of Δ NWC

Calculating Project Cash Flows

Initial Cash Flows

Cost of asset

Purchase, shipping, installation

Initial ΔNWC

$\Delta CA_0 - \text{spontaneous } \Delta CL_0$

Operating Cash Flows

bottom-up:

$$OCF_t = NI_t + Dep_t + Int_t$$

$$OCF_t = EBIT_t + Dep_t - Tax_t$$

top-down:

$$OCF_t = (R_t - C_t)(1 - T_C) + T_C Dep_t$$

Terminal Cash Flows

Reversal of initial ΔNWC

$$\Delta NWC_T = -\Delta NWC_0$$

Net Salvage Value

$$NSV_T = SV_T - T_C (SV_T - BV_T)$$

Miscellaneous Issues

Replacement

every period: $\Delta OCF_t = (\Delta R_t - \Delta C_t)(1 - T_C) + T_C \Delta Dep_t$

once: NSV of old equipment “shifted” to present

Inflation

Be consistent: nominal cash flows discounted at nominal rate

Market rates already contain an inflation forecast: $k_{RF} \approx k^* + IRP$

If cash flows not similarly “grossed up,” NPV biased downward

$$NPV = \sum_{t=0}^n \frac{\text{real } CF_t (1 + IRP)^t}{(1 + k)^t}$$

Abandonment

Disinvestment also a capital budgeting decision

A “real” option

Abandonment (Optimal Life): Example

$k = 10\%$

| t | OCF(t) | NSV(t) | NPV(t) |
|----------|---------------|---------------|---------------|
| 0 | (4,800) | 4,800 | 0.00 |
| 1 | 2,000 | 3,000 | (254.55) |
| 2 | 1,875 | 1,900 | 138.02 |
| 3 | 1,750 | 0 | (117.43) |

Or abandon when $NSV > PV(\text{all future CFs})$

Calculations:

$$NPV(0) = -4800 + 4800 = 0$$

$$NPV(1) = -4800 + \frac{2000}{1.10} + \frac{3000}{1.10} = -254.55$$

$$NPV(2) = -4800 + \frac{2000}{1.10} + \frac{1875}{(1.10)^2} + \frac{1900}{(1.10)^2} = 138.02$$

$$NPV(3) = -4800 + \frac{2000}{1.10} + \frac{1875}{(1.10)^2} + \frac{1750}{(1.10)^3} = -117.43$$